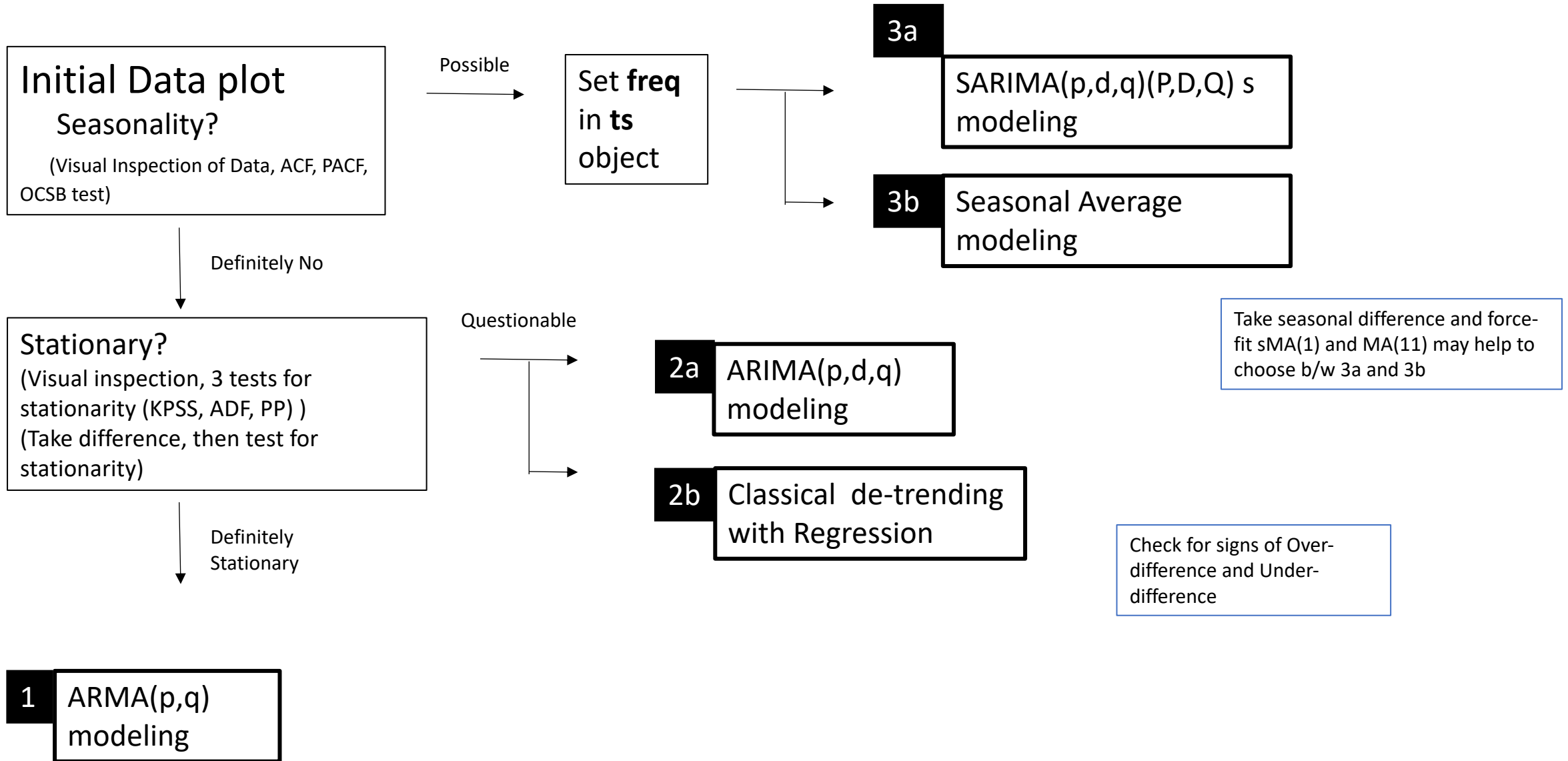


Time Series Modeling Flow Chart



1 ARMA(p,q) modeling

- $d=0$ is fixed and not questioned.
- Let **auto.arima()** with **stepwise=FALSE** option to pick the best (p,q) by lowest AICc
- Check proposed model for parameter significance
 - CI contains 0 ---> parameter estimate not significantly different from 0
 - If $p=3$ and AR3 is insignificant, then use $p=2$.
 - If $p=3$ and AR2 is insignificant, then keep $p=3$. Suppress only AR2 to be 0 (optional)
- Force fit the model with increased q and p
 - Make sure the last term added comes back non-significant.

1 ARMA(p,q) modeling

- Residual Analysis
 - B-L test checks correlation for residuals. P-value above .05 -> can't reject the null hyp. of uncorrelation.
 - B-L test must be above .05 for all choices of H.
 - If B-L test reject for one of choices of H --> Model fit not adequate
 - M-L test checks correlation for square of residuals.
 - J-B test checks for normality of residuals.
 - P-value less than .05 -> residual is not normally distributed
 - Rejection of normality is not critical for ARIMA modeling.

2a ARIMA(p,d,q) modeling

- Value of d is open
- Find when non-stationarity turns into stationarity
 - `Stationarity.tests(D1)` d=0
 - `Stationarity.tests(diff(D1))` d=1
 - `Stationarity.tests(diff(diff(D1)))` d=2
- If transition from non-stationarity to stationarity is instant and clear, then choose the first value of d with stationarity.
- If transition is not instant, then narrow down candidate for d down to 2 values.

2a ARIMA(p,d,q) modeling

- Perform ARMA(p,q) modeling to each candidate of d.
- Signs to watch out for
 - If $p=1$, see if AR1 parameter is significantly different from ± 1 . If not, it indicates non-stationarity (d needs to be increased)
 - If $q=1$, see if MA1 parameter is significantly different from ± 1 . If not, it indicates over-difference (d needs to be decreased)
 - It's ok to force $p=1$ or $q=1$ just to check for these points. In this case, other parameter (p or q) should be as high as there are significant estimates.
- In the end, pick the model that has less warning signs.
- AICc, AIC, BIC can not be used to compare models with different d.

3a SARIMA(p,d,q)x(P,D,Q) s modeling

- Value of d and D are open
- Find when non-stationarity with seasonality turns into stationarity w/o seasonality
 - `Stationarity.tests(D1)` d=0
 - `Stationarity.tests(diff(D1, 12))` d=0, D=1
 - `Stationarity.tests(diff(diff(D1, 12)))` d=1, D=1
- Seasonality can be seen in ACF plot
- Narrow down your candidate of d,D to down to 1 or 2 sets.
- Note that stationary series can still have seasonality.
- Rest is same as ARIMA modeling.

2b Classical De-trending Method

3b Seasonal Average Method

Terminology: “.. AR1 is Significant”

AR1 term is significant. \equiv Parameter estimate for ϕ_1 is statistically different from 0 \equiv 95% CI for ϕ_1 does not include 0 \equiv Hypothesis test with $H_0: \phi_1 = 0$ rejects H_0 . (i.e. p-value less than .05)

- If you simply say “significant”, it implies that you are comparing to 0
- If you are comparing something other than 0, (e.g. +-1) Then it must be stated. (e.g. Significantly different from 1)
- Term “significant” must be associated with low p-value (Reject H_0)